

# CE 380

## Highway and Traffic Engineering

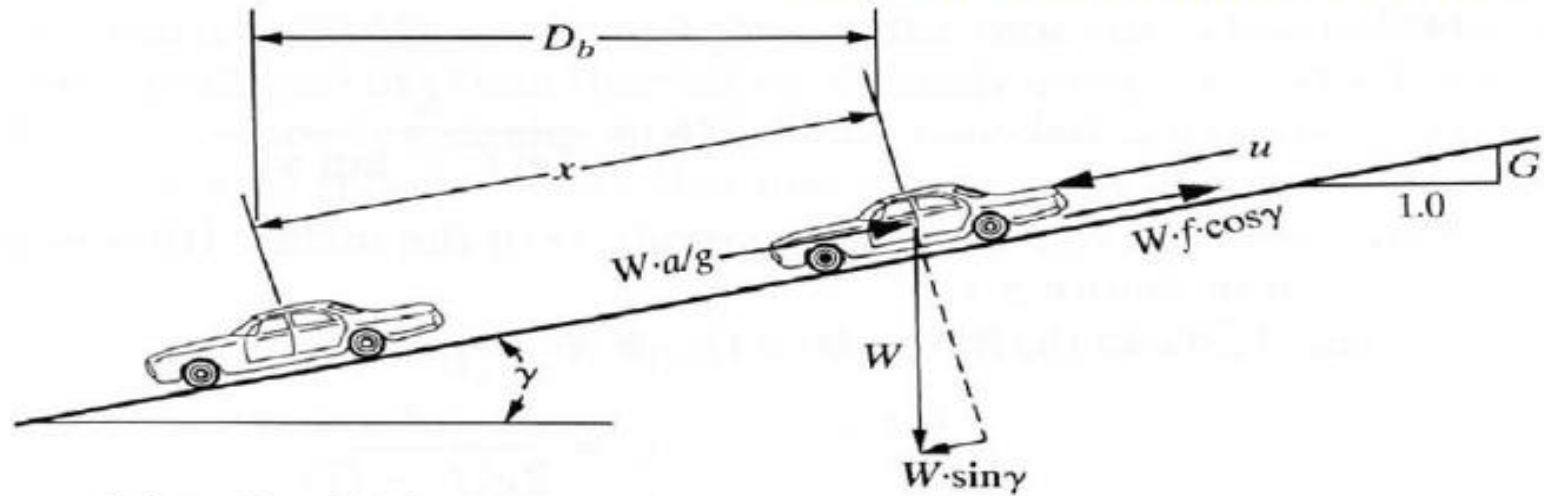
Lec 3

### Sight Distance

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# Braking distance

$(D_b)$  the horizontal distance



$W$  = weight of vehicle

$u$  = speed when brakes applied

$f$  = coefficient of friction

$D_b$  = braking distance

$g$  = acceleration of gravity

$\gamma$  = angle of incline

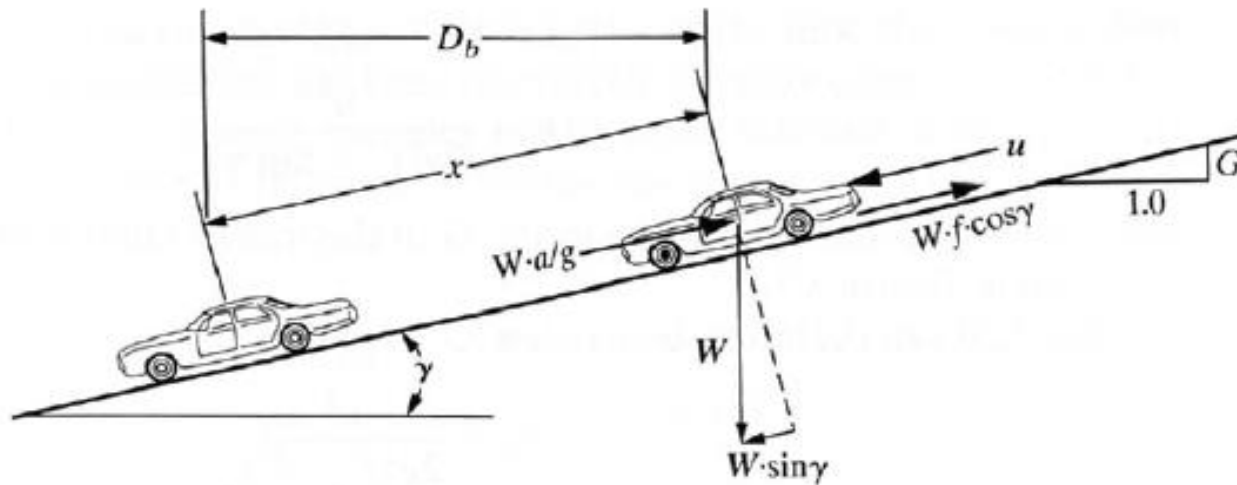
$a$  = vehicle acceleration

$G = \tan \gamma$

(% grade/100)

$x$  = distance traveled by the vehicle along the road during braking

Frictional force on the vehicle = $W f \cos \gamma$
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$$W \sin \gamma - W f \cos \gamma = \frac{W a}{g}$$

$$a = -u^2/2x$$

$$W \sin \gamma - W f \cos \gamma = -\frac{W u^2}{2g x}$$

$$D_b = x \cos \gamma$$

$$\frac{W u^2}{2g D_b} \cos \gamma = W f \cos \gamma - W \sin \gamma$$

$$\frac{u^2}{2g D_b} = f - \tan \gamma$$

$$D_b = \frac{u^2}{2g(f - \tan \gamma)}$$

$$D_b = \frac{u^2}{2g(f - G)}$$

If  $g$  is taken as  $9.81 \text{ m/sec}^2$

$u$  is expressed in  $\text{km/h}$

$$D_b = \frac{u^2}{254(f - G)}$$

- A similar equation could be developed for a vehicle traveling uphill , in which case the following equation is obtained.

$$D_b = \frac{u^2}{254(f + G)}$$

- A general equation for the braking distance can therefore be written as:

$$D_b = \frac{u^2}{254(f \pm G)}$$

AASHTO recommends the coefficient of friction to be  $a/g$  and  $a$  to be  $4.51 \text{ m/s}^2$  , then braking distance becomes:

$$D_b = \frac{u^2}{254\left(\frac{a}{g} \pm G\right)}$$

- the horizontal distance traveled in **reducing** the **speed** of a vehicle from  $U_1$  to  $U_2$  in km /h during a braking maneuver is given by:

$$D_b = \frac{u_1^2 - u_2^2}{254 \left( 1 \frac{a}{g} \pm G \right)}$$

- The **distance** traveled by a vehicle between the time the driver observes an object in the vehicle's path and the time the vehicle actually comes to rest is **longer** than the **braking distance**, since it includes the distance traveled during **perception-reaction time**.
- This distance is referred to in this text as the **stopping sight distance S** and is given as

# PROBLEMS

What is the distance required to stop an average passenger car when brakes are applied on a 2% downgrade if that vehicle was originally traveling at 40 km/h?

# Sight Distance Definition

It is the length of highway ahead which is visible to the driver.

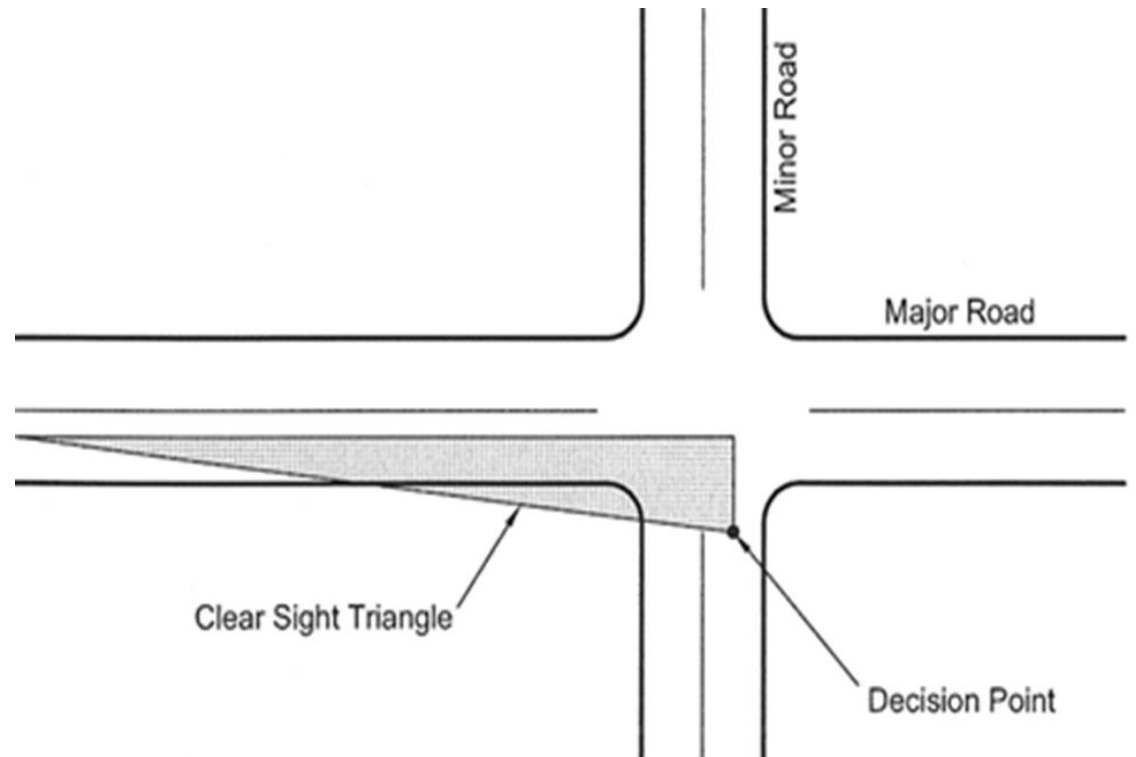
## Sight Distance Types

Three basic types of sight distances:

- 1- Stopping sight distance (SSD)
- 2- Decision sight distance (DSD)
- 3- Passing sight distance (PSD)

# Locations.

- Sight on straight section.
- Sight on horizontal curve cut sec.
- Sight on vertical curves.
- Sight on Intersection.



**Triangle of sight**



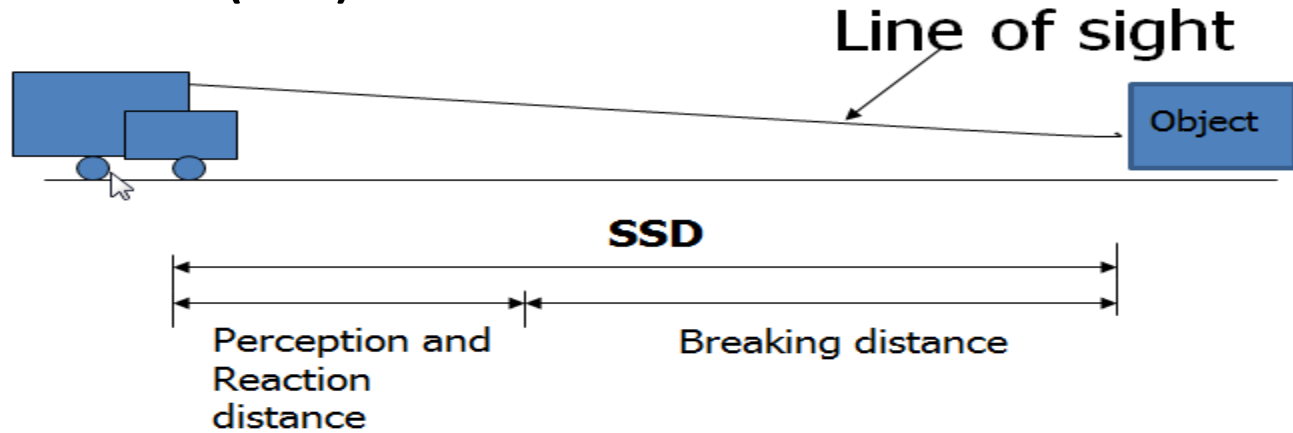
# Criteria for Sight Distance

- Driver eye height: for passenger vehicle's = 3.5 ft or 1.05 m above surface
- Height of object in roadway = 2 feet or 0.5m (SSD) – why?
- Height of opposing vehicle = 3.5 feet (PSD)

- Deceleration rate: AASHTO: 3.5 to 4.5 m/sec<sup>2</sup>
- Deceleration is within capability of drivers to stay within their lane and control the vehicle when braking on wet surfaces and is comfortable for most drivers
- AASHTO represents friction as (a/g) which is a function of the roadway, tires, etc

1-Stopping Sight Distance (SSD)

2-Decision Sight Distance (DSD)



$$SSD = 0.278Vt + \frac{V_i^2 - V_f^2}{255 (f \pm g)}$$

v : is the design speed

t : is perception and reaction time. almost 2.5 sec

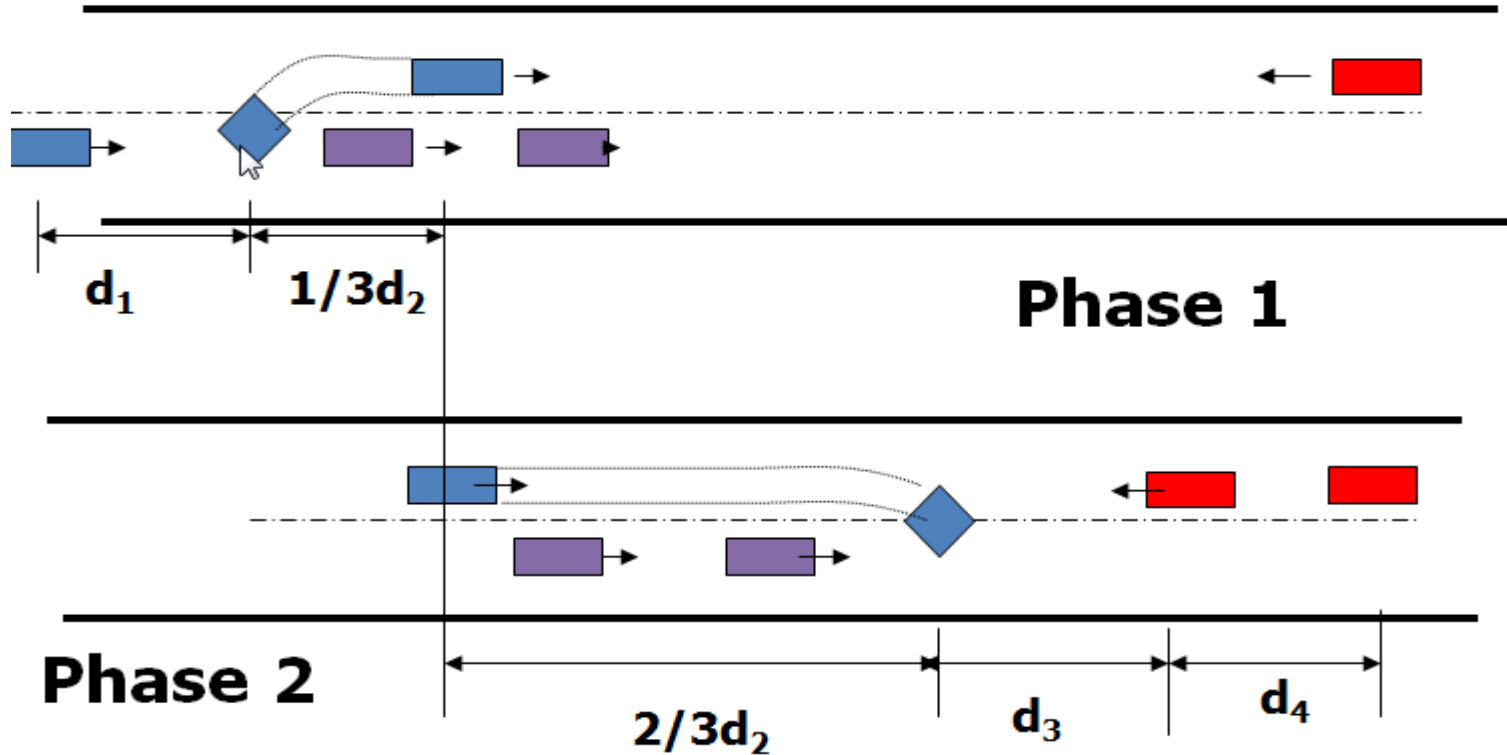
f : is coefficient of long. Friction depend on (V)

g: grade in decimal number %

## Relation between design speed and longitudinal friction coefficient

<b>Design Speed (V)</b>	<b>Friction Coefficient ( F )</b>
40	0.38
50	0.36
60	0.34
70	0.32
80	0.31
90	0.30
100	0.30
110	0.29
120	0.28
130	0.27
140	0.27

# Passing Sight Distance (PSD)



$$\text{PSD} = d_1 + d_2 + d_3 + d_4$$

# 3- Passing Sight Distance (PSD)

Is the sight distance that achieve a safe passing maneuvers on two-lane, two-way highways.

$$PSD = d_1 + d_2 + d_3 + d_4$$

Where:

$d_1$ : is the distance traveled during perception and reaction time and during acceleration.

$$= 0.278 t_1 (v-m+at_1/2)$$

$d_2$ : is distance traveled during the time the passing vehicle is traveling on the left lane.

$$= 0.278 v t_2$$

$d_3$ : is the distance between the passing vehicle at the end of its maneuver and the opposing vehicle.

$$= 30 - 90 \text{ m}$$

$d_4$ : is the distance moved by the opposing vehicle during 2/3 of the time the passing vehicle is on left lane. =  $2/3 d_2$

# Passing Sight Distance

$$d_1 = 0.278t_1 \left( u - m + \frac{at_1}{2} \right)$$

where

- $t_1$  = time for initial maneuver (sec)
- $a$  = average acceleration rate (km/h/sec)
- $u$  = average speed of passing vehicle (km/h)
- $m$  = difference in speeds of passing and impeder vehicles

$$d_2 = 0.278ut_2$$

where

- $t_2$  = time passing vehicle is traveling in left lane (sec)
- $u$  = average speed of passing vehicle (km/h)

The clearance distance  $d_3$  between the passing vehicle and the opposing vehicle at the completion of the passing maneuver has been found to vary between 30 m and 90 m.

# Passing Sight Distance

- NOTES:
  - For Divided roads, The passing sight distance is not available.
  - It is not necessary to consider passing sight distance on highways or streets that have two or more traffic lanes in each direction of travel.
  - For roads that have special lane for overtaking, The passing sight distance is not available.
  - When passing sight distance is not available it equals SSD.